### **COURSE OUTLINE**



Effective: Spring 2025
COURSE INFORMATION

Course Title: Ordinary Differential Equations Course Number: MATH 215 Credits: 3

**Total Weeks:** 14 (Fall, Spring) **Total Hours:** 39 **Course Level:** □ First Year ⊠ Second Year

12 (Summer)  $\hfill \square$  New  $\hfill \square$  Revised Course

☐ Replacement Course

Department: Math/Statistics Department Head: G. Belchev Former Course Code(s) and Number(s) (if applicable): N/A

Pre-requisites (If there are no prerequisites, type NONE): MATH 102; MATH 232 recommended

Co-requisite Statement (List if applicable or type NONE): NONE

Precluded Courses: N/A

#### **COURSE DESCRIPTION**

In this course topics include first order differential equations, second and higher order linear equations, series solutions, an introduction to Laplace transformation, systems and numerical methods, phase plane analysis, and applications in the physical, biological, and social sciences.

#### **LEARNING OUTCOMES**

Upon successful completion of the course, students will be able to:

- Solve separable, homogeneous, exact, and linear first-order differential equations with and without initial conditions.
- Determine regions of the plane over which a given first-order differential equation will have a unique solution.
- Solve application problems modeled by separable, homogeneous, exact, linear first-order differential equations, and equations reducible to first order differential equations.
- Learn to solve linear differential equations of higher order.
- Determine if a set of functions is linearly dependent or independent by definition and by using the Wronskian.
- Construct a second solution of a differential equation from a known solution.
- Solve homogenous linear equations with constant coefficients.
- Solve non-homogeneous linear equations with constant coefficients using the methods of undetermined coefficients and variation of parameters.
- Solve application problems modeled by linear differential equations.
- Solve simple harmonic motion problems.
- Solve damped motion problems.
- Solve forced motion problems.
- Recognize and solve Cauchy-Euler equations.
- Use power series methods to solve differential equations about ordinary points.
- Use the Method of Frobenius to solve differential equations about regular singular points.
- Find the Laplace transform of a function using the definition.
- Find the inverse Laplace function of a function.
- Use the Translation Theorems to find Laplace transforms.
- Find the Laplace transform of derivatives, integrals, and periodic functions.
- Use the method of Laplace transforms to solve initial-value problems for linear differential equations with constant coefficients.
- Use the method of Laplace transforms to solve systems of linear first-order differential equations.
- Solve a linear system by the method of substitution.
- Write an nth order differential equation as a first-order system.
- Solve a first-order initial value problem using Euler's method.
- Solve a first-order initial value problem using a second order Runge-Kutta method.

# **COURSE OUTLINE**



### **INSTRUCTION AND GRADING**

Instructional (Contact) Hours:

Туре	Duration
Lecture	39
Seminars/Tutorials	
Laboratory	
Field Experience	
Other (specify):	
Total	39

Grading System:	Letter Grades 🗵	Percentage $\square$	Pass/Fail □	Satisfactory	//Unsatisfactor\	/ ∐	Other $\sqcup$
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**Specify passing grade:** 50%

**Evaluation Activities and Weighting (total must equal 100%)** 

Assignments:	%	Lab Work: %	Participation: %	Project: %
Quizzes/Test:	25%	Midterm Exam: 35%	Final Exam: 40%	Other: %

## **TEXT(S) AND RESOURCE MATERIALS**

Provide a full reference for each text and/or resource material and include whether required/not required.

Elementary Differential Equations, Latest Edition, Boyce, W.E. and Di Prime, R.C., John Wiley.

### **COURSE TOPICS**

List topics and sequence covered.

Week	Торіс
Week 1	First Order Differential Equations
	Linear equations; separable equations, exact equations.
Week 2	First Order Differential Equations continued
	Integrating factors; homogeneous equations; applications of first order equations.
Week 3	Second Order Differential equations
	Fundamental solutions; linear independence and Wronskians.
Week 4	Second Order Differential equations continued
	Homogenous and nonhomogeneous equations with constant coefficients; variation of
	parameters; applications.
Week 5	Second Order Differential equations continued
	Higher order linear equations.
Week 6	Systems of Differential Equations
	Linear systems.
Week 7	MIDTERM EXAM



# **COURSE OUTLINE**

Week 8 Systems of Differential Equations continued

Solution by eigenvalues.

Week 9 Laplace and Fourier Transforms

Brief introduction to Laplace and Fourier transforms.

Week 10 Series Solutions

Review of power series.

Week 11 Series Solutions continued

Series solution near an ordinary point and near a regular singular point.

Week 12 Numerical Methods

Euler method; higher order methods.

Week 13 Phase Plane Analysis

Week 14 FINAL EXAM

#### **NOTES**

1. Students are required to follow all College policies. Policies are available on the website at: Coquitlam College Policies

2. To find out how this course transfers, visit the BC Transfer Guide at: bctransferguide.ca

Last Revised: November 2011 Last Reviewed: January 2025